A method of automated speaker identification, comprising:
 receiving a sample speech input signal from a sample handset;

deriving a cepstral covariance sample matrix from said first sample speech signal;

calculating, with a distance metric, all distances between said sample matrix and one or more cepstral covariance signature matrices;

determining if the smallest of said distances is below a predetermined threshold value; and

wherein said distance metric is selected from

10

whe

$$d_5(S,\Sigma) = A + \frac{1}{H} - 2$$

$$d_6(S,\Sigma) = (A + \frac{1}{H})(G + \frac{1}{G}) - 4$$

$$d_{7}(S,\Sigma) = \frac{A}{2H}(G + \frac{1}{G}) - 1$$

$$d_8(S,\Sigma) = \frac{(A+\frac{1}{H})}{(G+\frac{1}{G})} - 1$$

$$d_9(S,\Sigma) = \frac{A}{G} + \frac{G}{H} - 2$$

fusion derivatives thereof, and

15

## fusion derivatives thereof with $d_1(S,\Sigma) = \frac{A}{H} - 1$ .

2. The method of claim 1 further comprising:

identifying said sample handset;

5

10

15

20

identifying a training handset used to derive each said signature matrix; wherein for each said signature matrix, an adjusted sample matrix is derived by adding to said sample matrix a distortion matrix comprising distortion information for said training handset used to derive said signature matrix; and

wherein for each signature matrix, an adjusted signature matrix is derived by adding to each said signature matrix a distortion matrix comprising distortion information for said sample handset.

3. The method of claim 2, wherein the step of identifying said sample handset further comprises:

calculating, with a distance metric, all distances between said sample matrix and one or more cepstral covariance handset matrices, wherein each said handset matrix is derived from a plurality of speech signals taken from different speakers through the same handset; and

determining if the smallest of said distances is below a predetermined threshold value.

4. The method of claim 3 wherein said distance metric satisfies symmetry and positivity conditions.

$$d_1(S,\Sigma) = \frac{A}{H} - 1,$$

$$d_5(S,\Sigma) = A + \frac{1}{H} - 2$$

$$d_6(S,\Sigma) = (A + \frac{1}{H})(G + \frac{1}{G}) - 4$$

$$d_7(S,\Sigma) = \frac{A}{2H}(G + \frac{1}{G}) - 1$$

$$d_8(S,\Sigma) = \frac{(A+\frac{1}{H})}{(G+\frac{1}{G})} - 1$$

$$d_{9}(S,\Sigma) = \frac{A}{G} + \frac{G}{H} - 2$$
 , and

fusion derivatives thereof.

6. The method of claim 2, wherein the step of identifying said training handset for each said signature matrix further comprises:

calculating, with a distance metric, all distances between said signature matrix and one or more cepstral covariance handset matrices, wherein each said handset matrix is derived from a plurality of speech signals taken from different speakers through the same handset; and

determining if the smallest of said distances is below a predetermined threshold value.

10

5

15

YOR9-2001-0449 (8728-529)

-24-

- 7. The method of claim 6 wherein said distance metric satisfies symmetry and positivity conditions.
- 5 8. The method of claim 7, wherein said distance metric is selected from

$$d_1(S,\Sigma) = \frac{A}{H} - 1,$$

$$d_5(S,\Sigma) = A + \frac{1}{H} - 2$$

$$d_6(S,\Sigma) = (A + \frac{1}{H})(G + \frac{1}{G}) - 4$$

$$d_{\gamma}(S,\Sigma) = \frac{A}{2H}(G + \frac{1}{G}) - 1$$

$$d_8(S,\Sigma) = \frac{(A+\frac{1}{H})}{(G+\frac{1}{G})} - 1$$

$$d_{9}(S,\Sigma) = \frac{A}{G} + \frac{G}{H} - 2$$
 , and

fusion derivatives thereof.

- 9. A method of automated speaker identification, comprising:
- receiving a sample speech input signal from a sample handset;

  deriving a cepstral covariance sample matrix from said first sample

speech signal;

10

15

calculating, with a distance metric, all distances between an adjusted sample matrix and one or more adjusted cepstral covariance signature matrices, each said signature matrix derived from training speech signals input from a training handset;

determining if the smallest of said distances is below a predetermined threshold value;

wherein for each said signature matrix, said adjusted sample matrix is derived by adding to said sample matrix a distortion matrix comprising distortion information for said training handset used to derive said signature matrix; and

wherein each said adjusted signature matrix is derived by adding to each said signature matrix a distortion matrix comprising distortion information for said sample handset.

- 10. The method of claim 9, wherein said distance metric satisfies symmetry and positivity conditions.
- 11. The method of claim 10, wherein said distance metric is selected from

$$d_{1}(S,\Sigma) = \frac{A}{H} - 1,$$

$$d_{5}(S,\Sigma) = A + \frac{1}{H} - 2,$$

$$d_{6}(S,\Sigma) = (A + \frac{1}{H})(G + \frac{1}{G}) - 4$$

$$d_{7}(S,\Sigma) = \frac{A}{2H}(G + \frac{1}{G}) - 1$$

20

$$d_8(S,\Sigma) = \frac{(A+\frac{1}{H})}{(G+\frac{1}{G})} - 1$$

$$d_{9}(S,\Sigma) = \frac{A}{G} + \frac{G}{H} - 2$$
 , and

fusion derivatives thereof.

5 12. The method of claim 9, wherein said sample handset is identified by a method comprising:

calculating, with a distance metric, all distances between said sample matrix and one or more cepstral covariance handset matrices, wherein each said handset matrix is derived from a plurality of speech signals taken from different speakers through the same handset; and

determining if the smallest of said distances is below a predetermined threshold value.

- 13. The method of claim 12, wherein said distance metric satisfies symmetry and positivity conditions.
- 14. The method of claim 13, wherein said distance metric is selected from

$$d_1(S,\Sigma) = \frac{A}{H} - 1,$$

$$d_5(S,\Sigma) = A + \frac{1}{H} - 2$$

10

15

$$d_6(S,\Sigma) = (A + \frac{1}{H})(G + \frac{1}{G}) - 4$$

$$d_7(S,\Sigma) = \frac{A}{2H}(G + \frac{1}{G}) - 1$$

$$d_8(S,\Sigma) = \frac{(A+\frac{1}{H})}{(G+\frac{1}{G})} - 1$$

$$d_{9}(S,\Sigma) = \frac{A}{G} + \frac{G}{H} - 2$$
 , and

fusion derivatives thereof.

15. The method of claim 9, wherein, for each said signature matrix, said training handset is identified by a method comprising:

calculating, with a distance metric, all distances between said signature matrix and one or more cepstral covariance handset matrices, wherein each said handset matrix is derived from a plurality of speech signals taken from different speakers through the same handset; and

determining if the smallest of said distances is below a predetermined threshold value.

- 16. The method of claim 15, wherein said distance metric satisfies symmetry and positivity conditions.
- 17. The method of claim 16, wherein said distance metric is selected from

10

15

$$d_1(S,\Sigma) = \frac{A}{H} - 1,$$

$$d_5(S,\Sigma) = A + \frac{1}{H} - 2$$

$$d_6(S,\Sigma) = (A + \frac{1}{H})(G + \frac{1}{G}) - 4$$

$$d_{7}(S,\Sigma) = \frac{A}{2H}(G + \frac{1}{G}) - 1$$

$$d_8(S,\Sigma) = \frac{(A + \frac{1}{H})}{(G + \frac{1}{G})} - 1$$

$$d_9(S,\Sigma) = \frac{A}{G} + \frac{G}{H} - 2$$
 , and

fusion derivatives thereof.

18. A program storage device, readable by machine, tangibly embodying a program of instructions executable by the machine to perform method steps for automated speaker identification, said method steps comprising:

receiving a sample speech input signal from a sample handset;

deriving a cepstral covariance sample matrix from said first sample speech signal;

calculating, with a distance metric, all distances between said sample matrix and one or more cepstral covariance signature matrices;

determining if the smallest of said distances is below a predetermined threshold value; and

$$d_{5}(S,\Sigma) = A + \frac{1}{H} - 2$$

$$d_6(S,\Sigma) = (A + \frac{1}{H})(G + \frac{1}{G}) - 4$$

$$d_{7}(S,\Sigma) = \frac{A}{2H}(G + \frac{1}{G}) - 1$$

$$d_{8}(S,\Sigma) = \frac{(A+\frac{1}{H})}{(G+\frac{1}{G})} - 1$$

$$d_9(S,\Sigma) = \frac{A}{G} + \frac{G}{H} - 2$$

fusion derivatives thereof, and

fusion derivatives thereof with  $d_1(S, \Sigma) = \frac{A}{H} - 1$ .

19. A program storage device, readable by machine, tangibly embodying a program of instructions executable by the machine to perform method steps for automated speaker identification, said method steps comprising:

receiving a sample speech input signal from a sample handset;

deriving a cepstral covariance sample matrix from said first sample speech signal;

calculating, with a distance metric, all distances between an adjusted sample matrix and one or more adjusted cepstral covariance signature matrices,

each said signature matrix derived from training speech signals input from a training handset;

determining if the smallest of said distances is below a predetermined threshold value;

wherein for each said signature matrix, said adjusted sample matrix is derived by adding to said sample matrix a distortion matrix comprising distortion information for said training handset used to derive said signature matrix; and

wherein each said adjusted signature matrix is derived by adding to each said signature matrix a distortion matrix comprising distortion information for said sample handset.

YOR9-2001-0449 (8728-529)

-31-